

Mextram 504

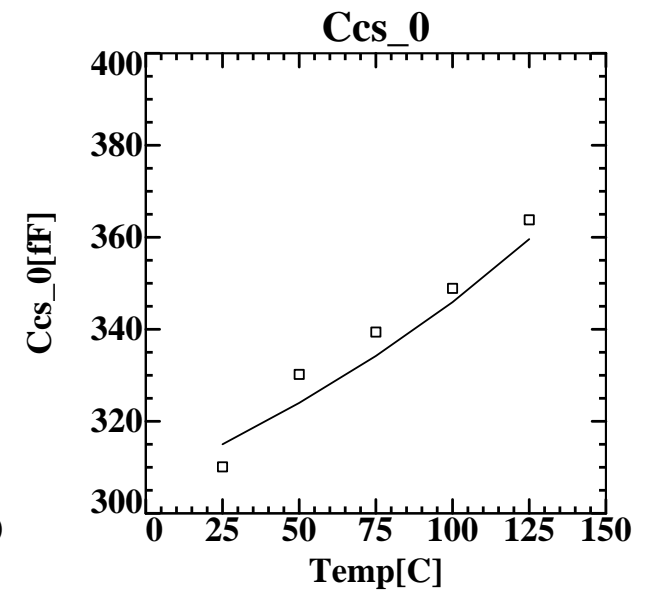
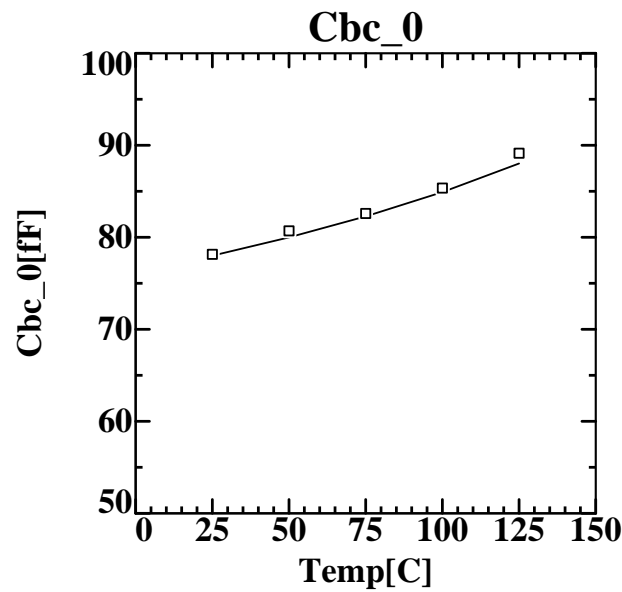
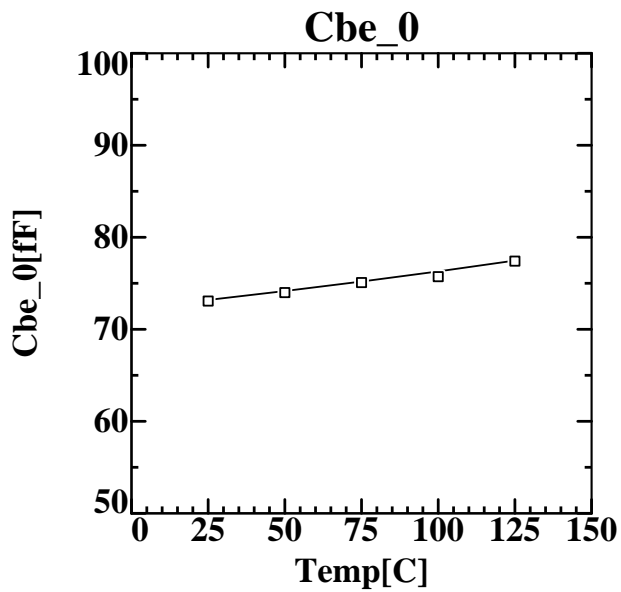
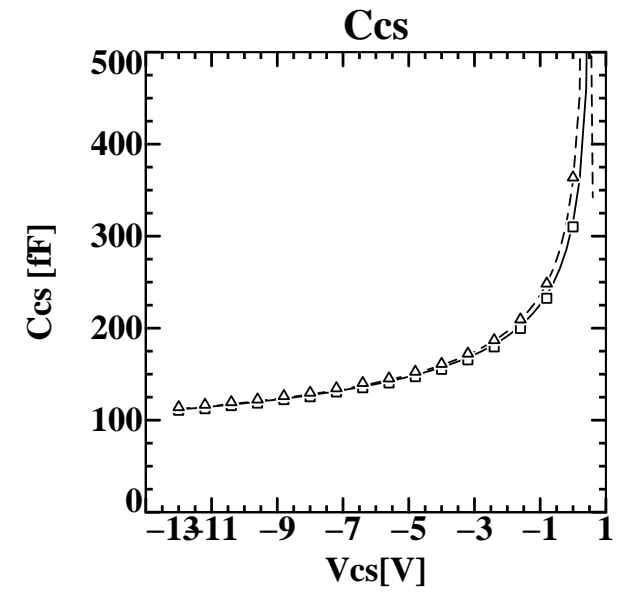
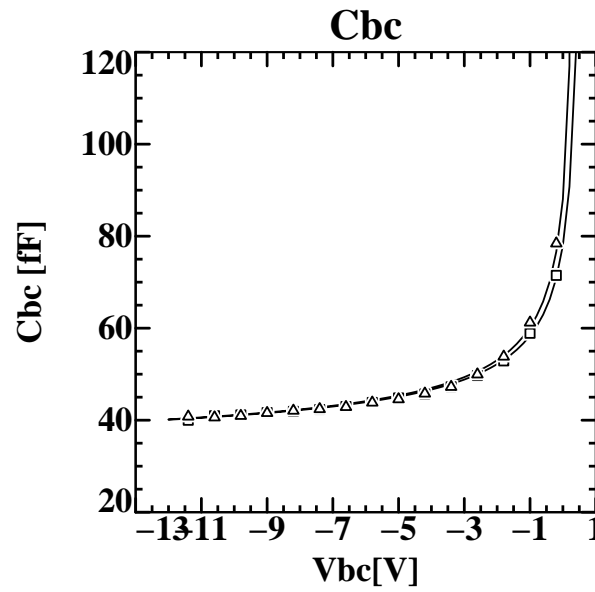
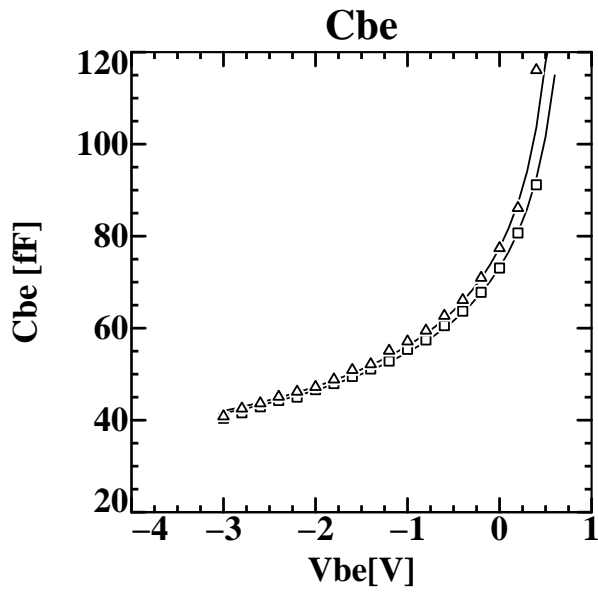
Jeroen Paasschens
Willy Kloosterman

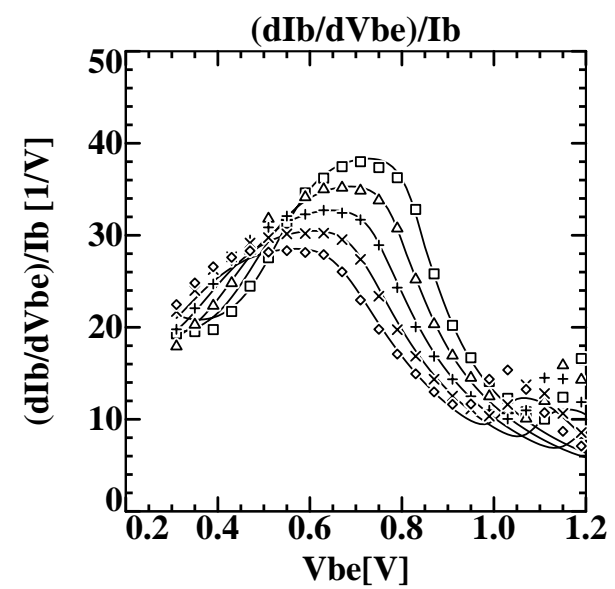
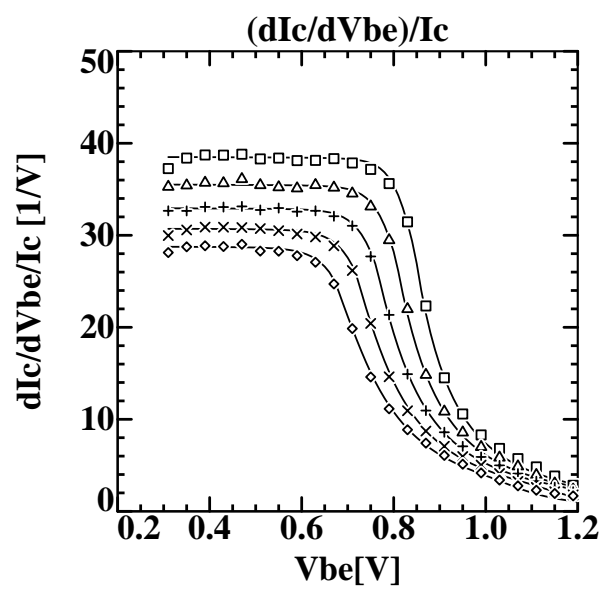
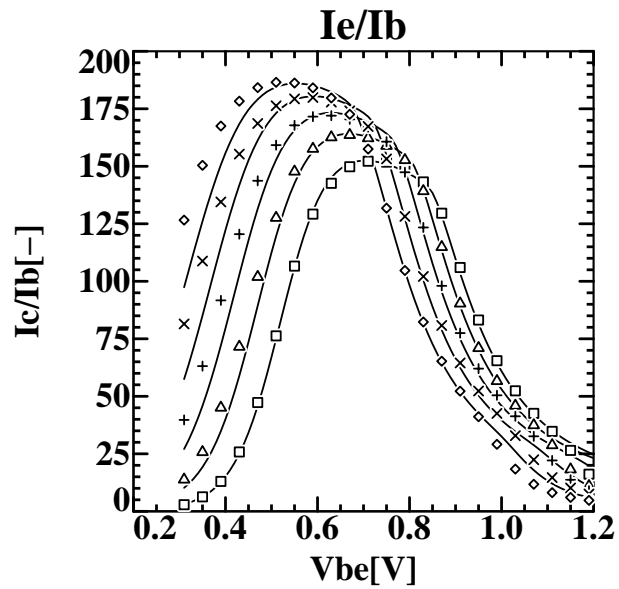
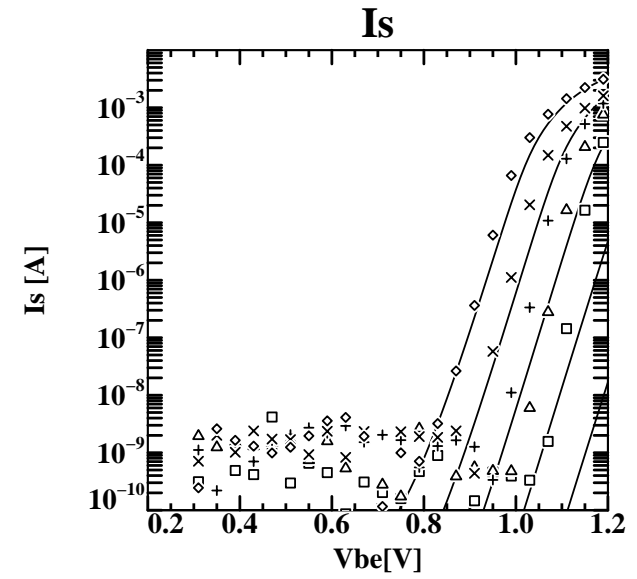
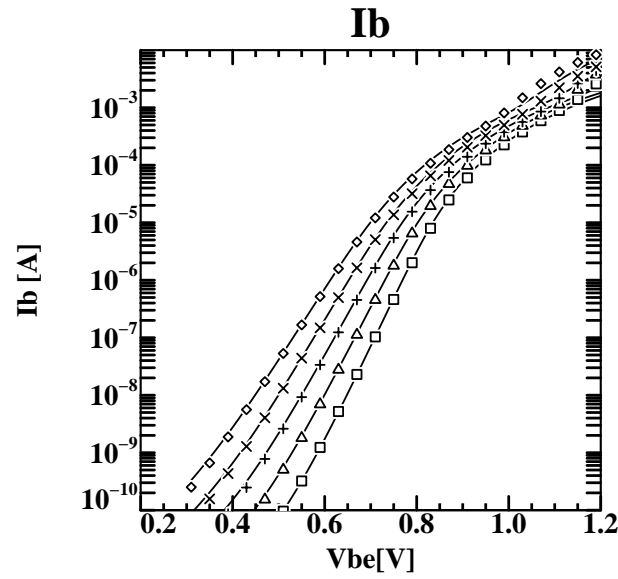
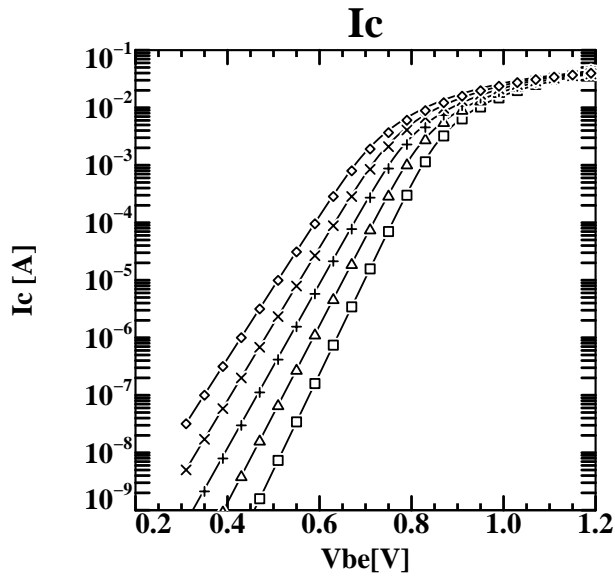
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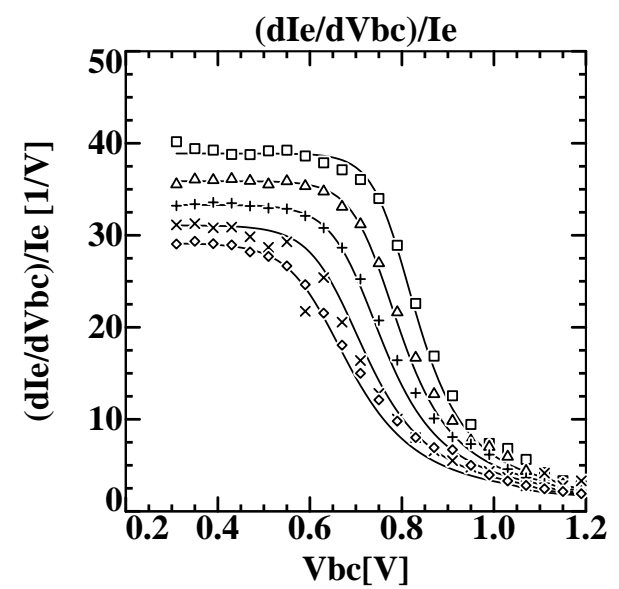
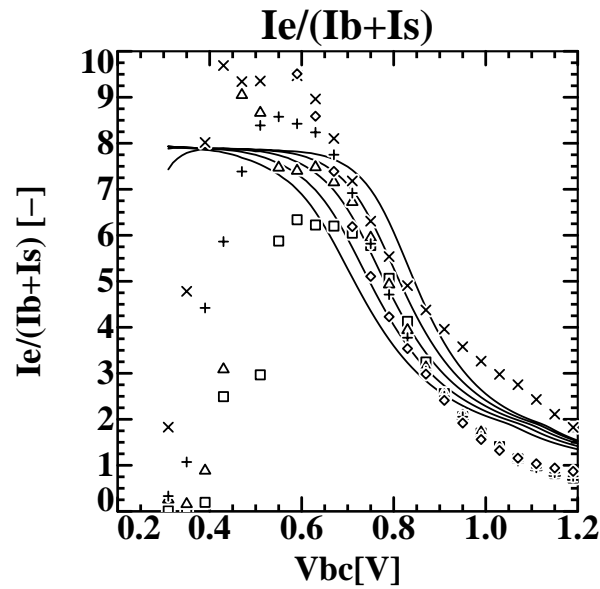
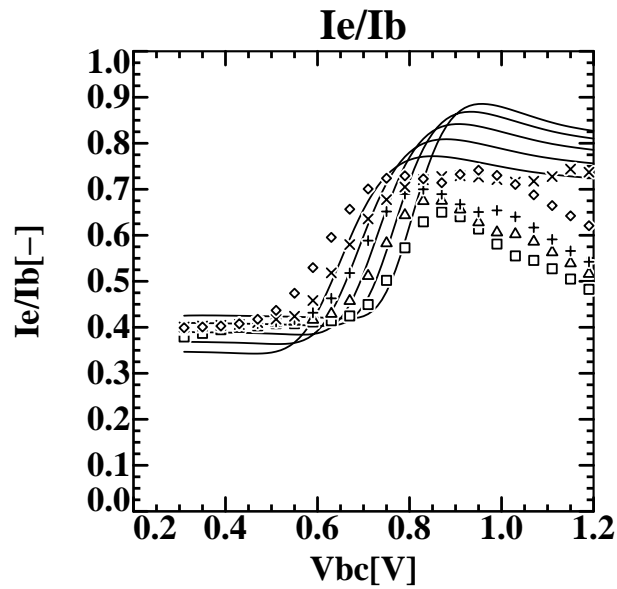
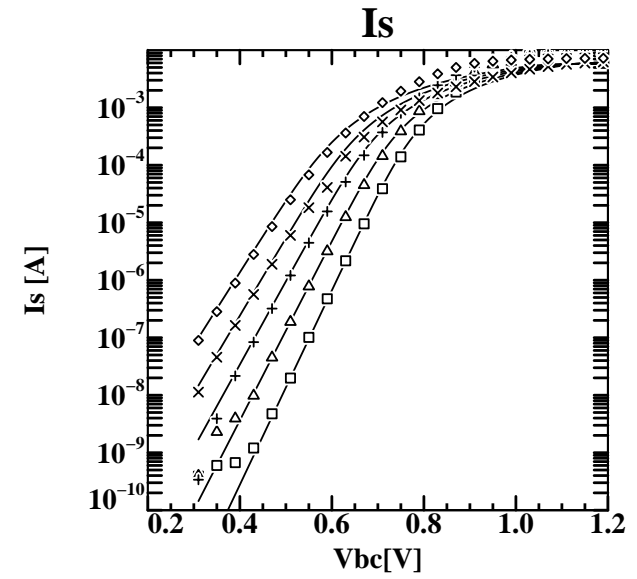
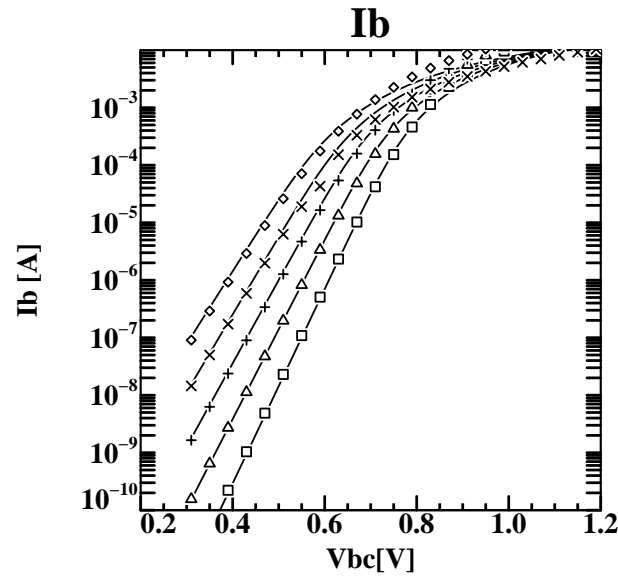
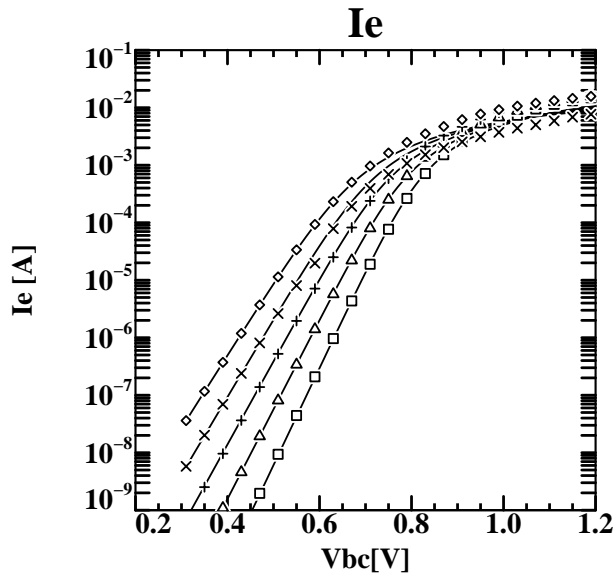
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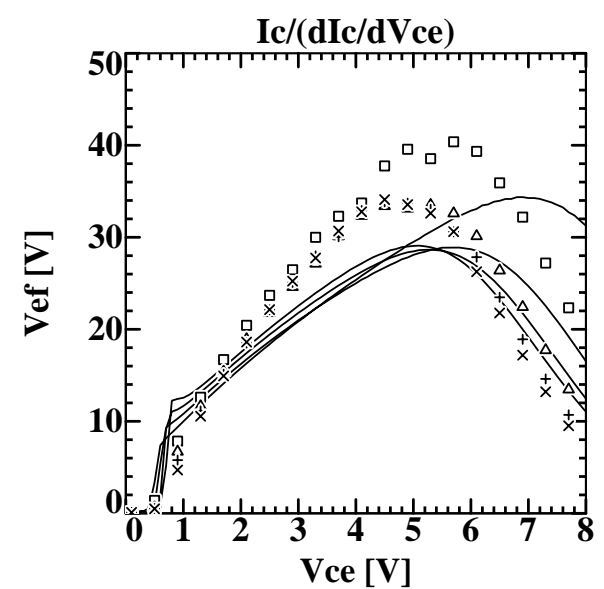
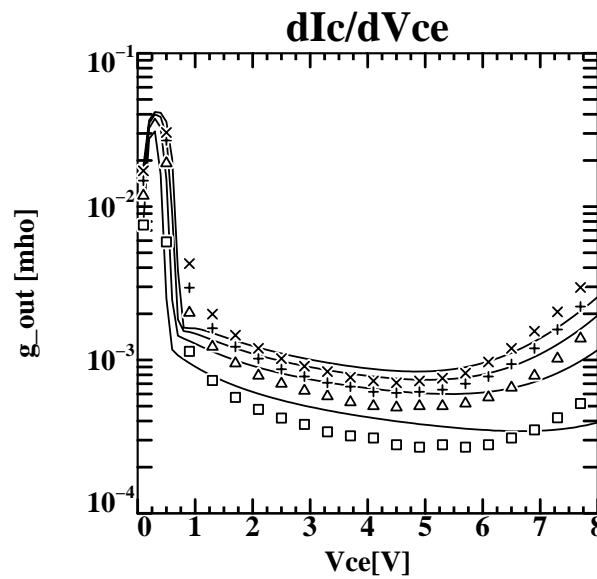
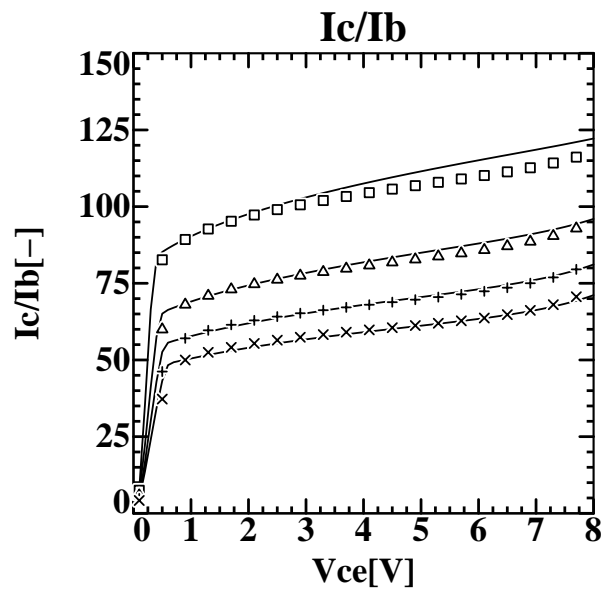
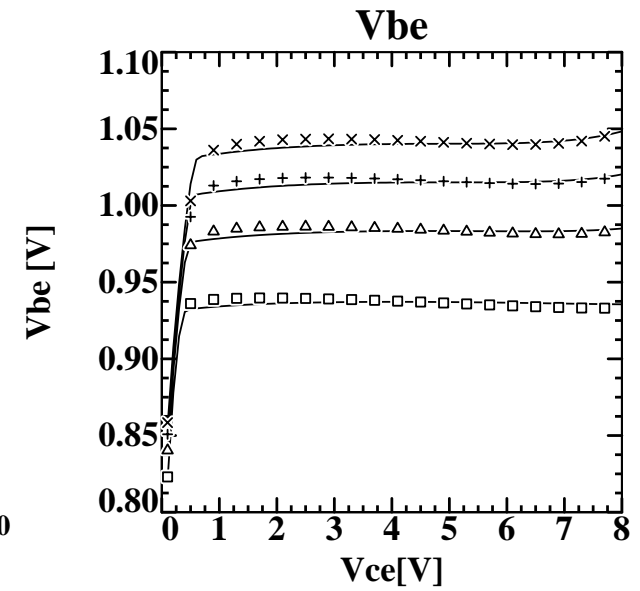
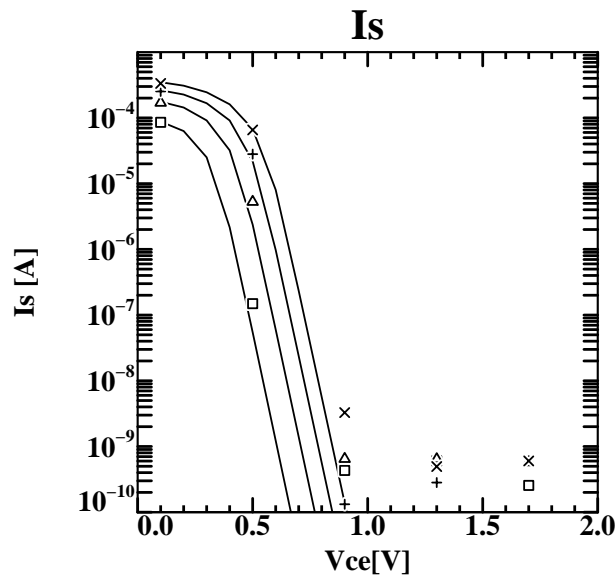
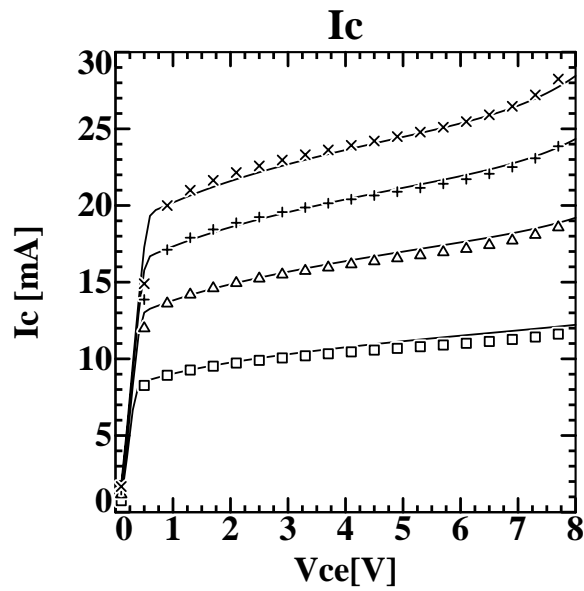


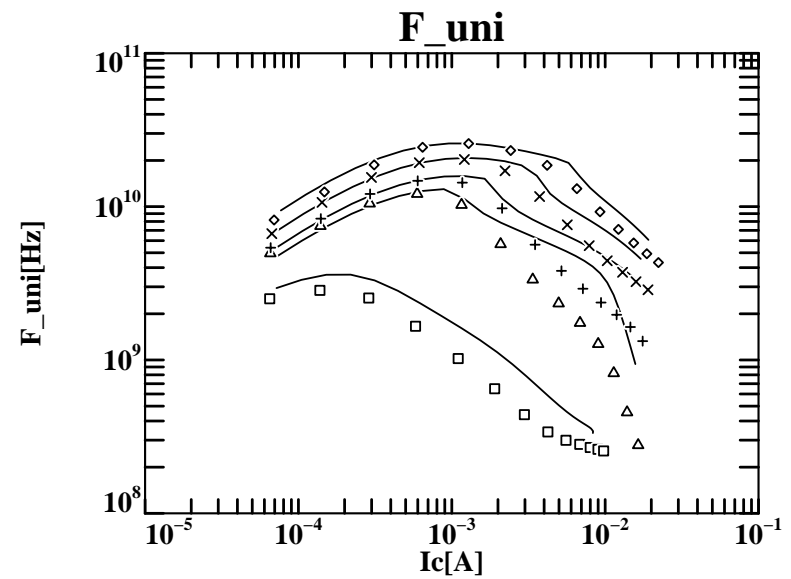
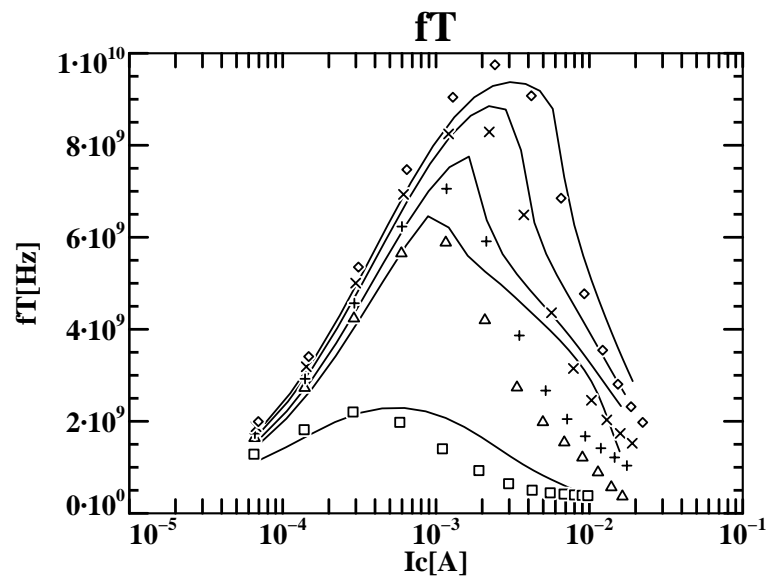
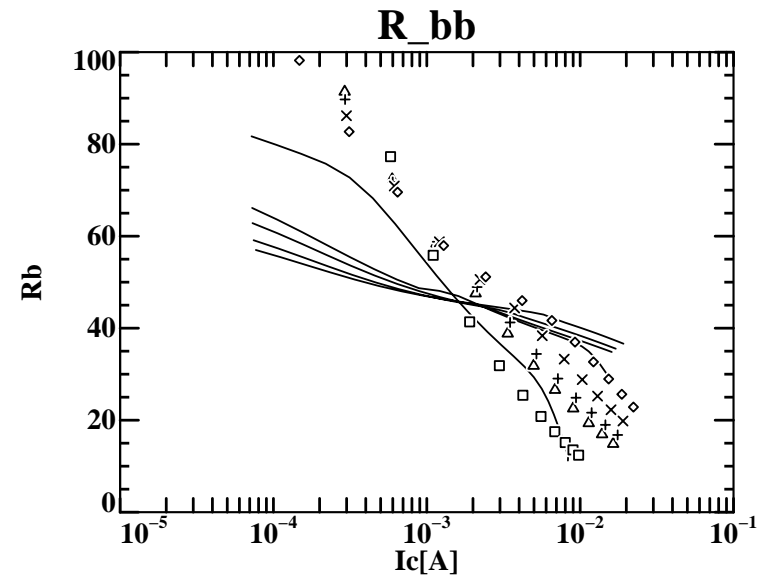
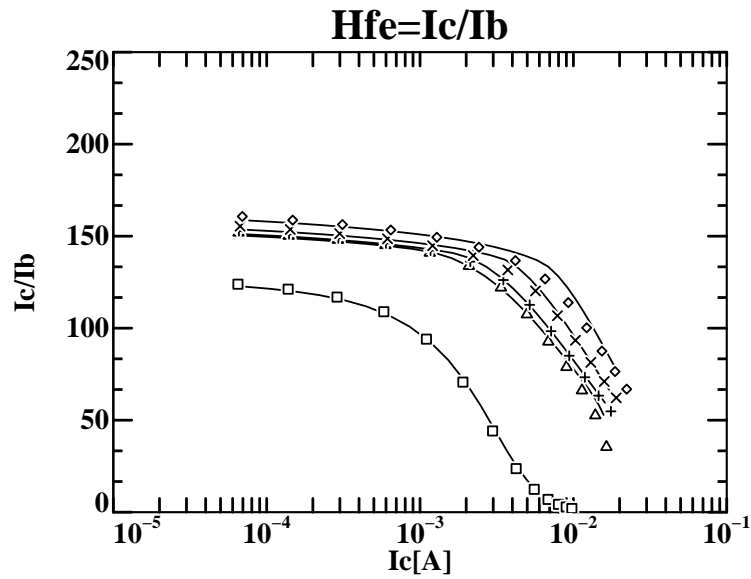
- **Previous CMC: Mextram 503 gives generally good results.**
- **Why Mextram 504**
 - **Modelling of SiGe processes**
 - **Easier and hence better parameter extraction**
 - **Better monotony in (higher) derivatives.**
- **We have tested Mextram 504 on five CMC data sets**
- **New parameter extraction only for process A**











- **Introduction and previous Mextram 503 results**
- **Reformulation of the epilayer model**
- **Results**
- **Conclusions**

Process A

Single Poly BiCMOS process

Emitter size: $0.6 \times 5.4 \mu\text{m}$

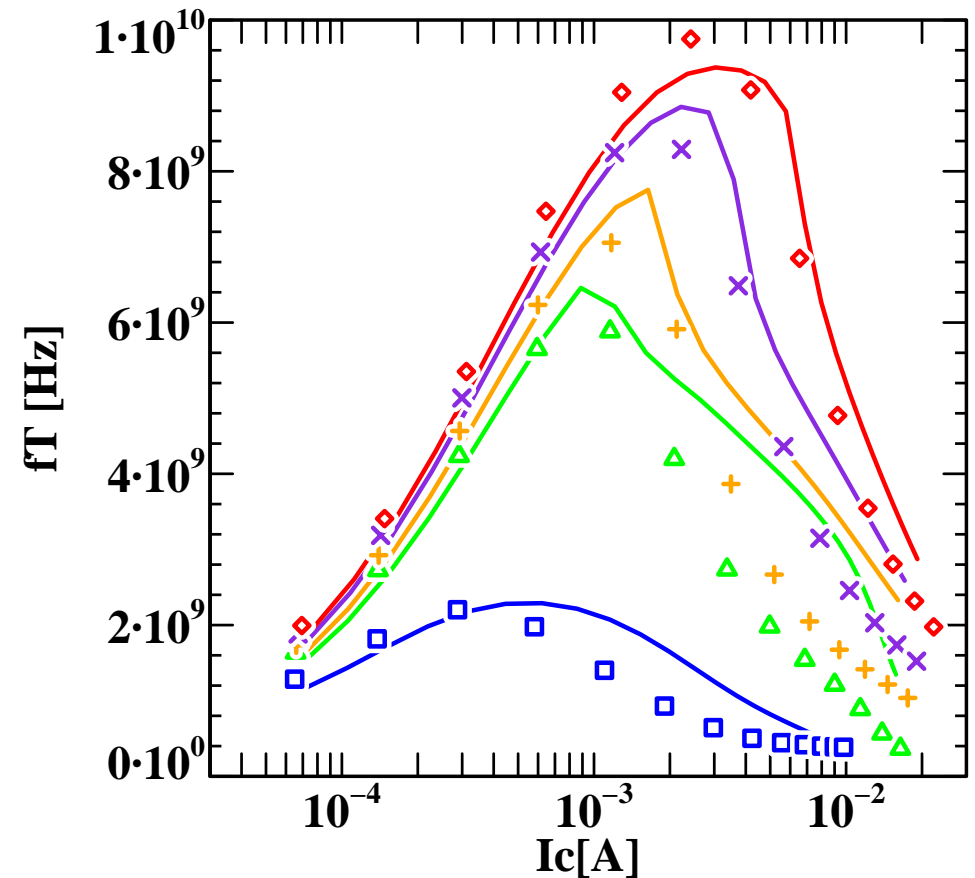
Double base contact: $r_p = 10 \text{ k}\Omega$

Maximum cut off frequency f_T

f_T : 10 GHz @ $V_{CE} = 5 \text{ V}$

f_T : 6 GHz @ $V_{CE} = 0.5 \text{ V}$

$V_{CE} = 0.2, 0.5, 0.8, 2.0, 5.0$



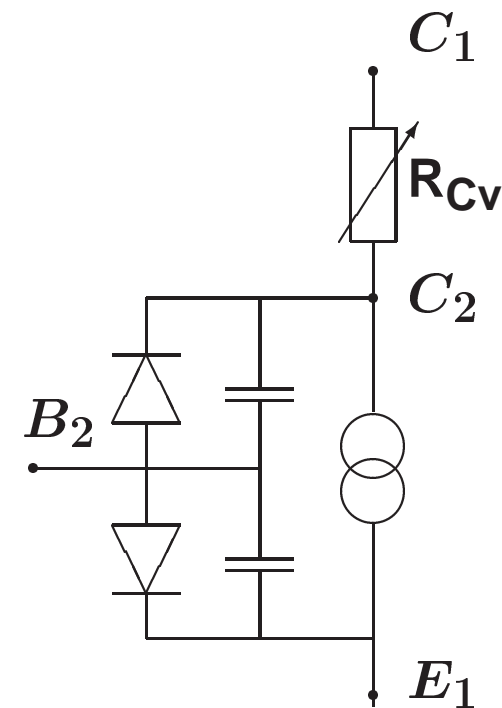
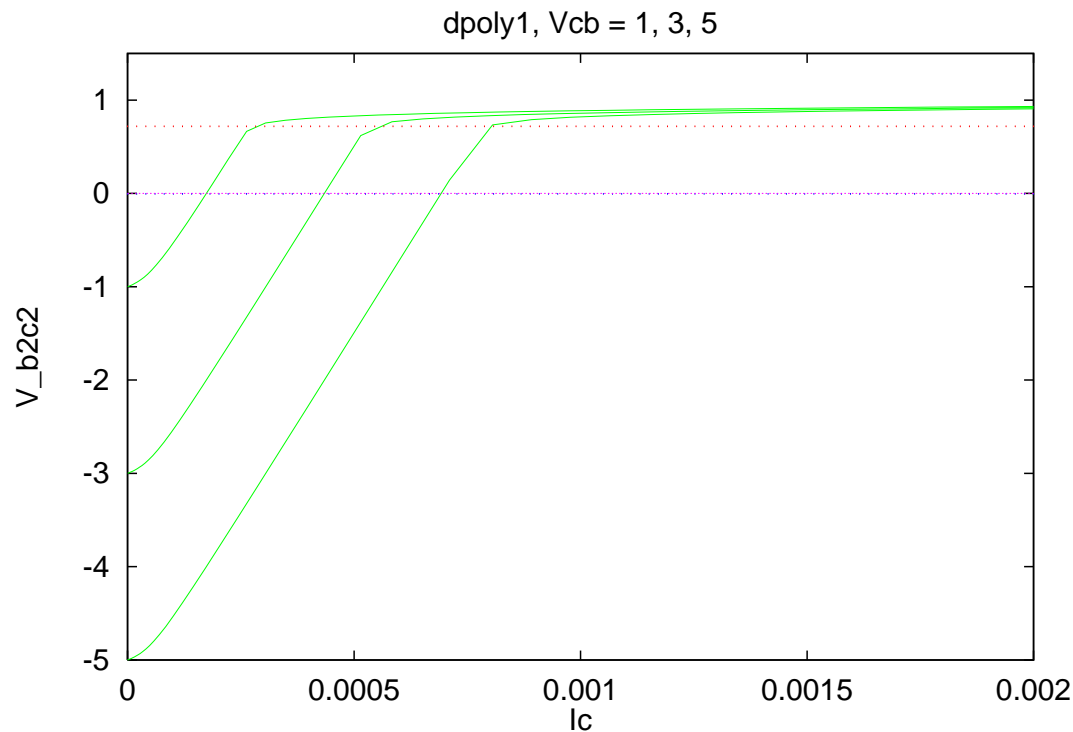
Internal base-collector bias

(9)

The internal base-collector bias increases **strongly** due to the (variable) epi-layer resistance.

When $V_{B_2C_2} > V_{dC}$ the junction is open. The bias increases only **slightly**.

This happens quite abrupt.

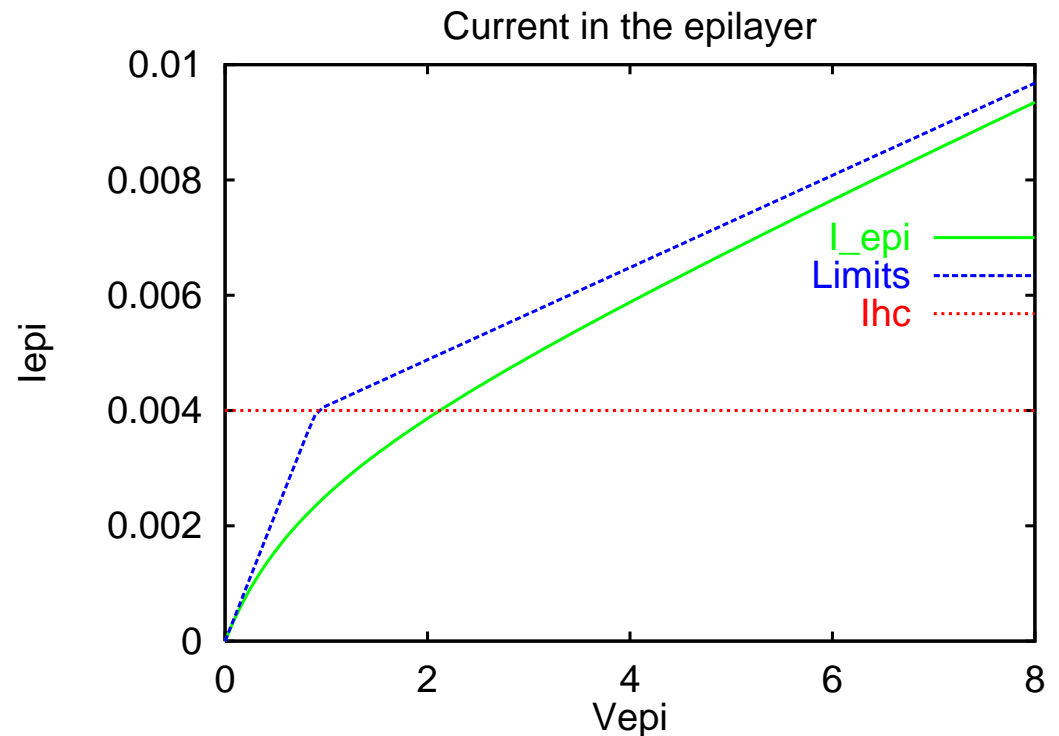


When there is no injection into the epilayer: ($\frac{x_i}{W_{\text{epi}}} = 0$)

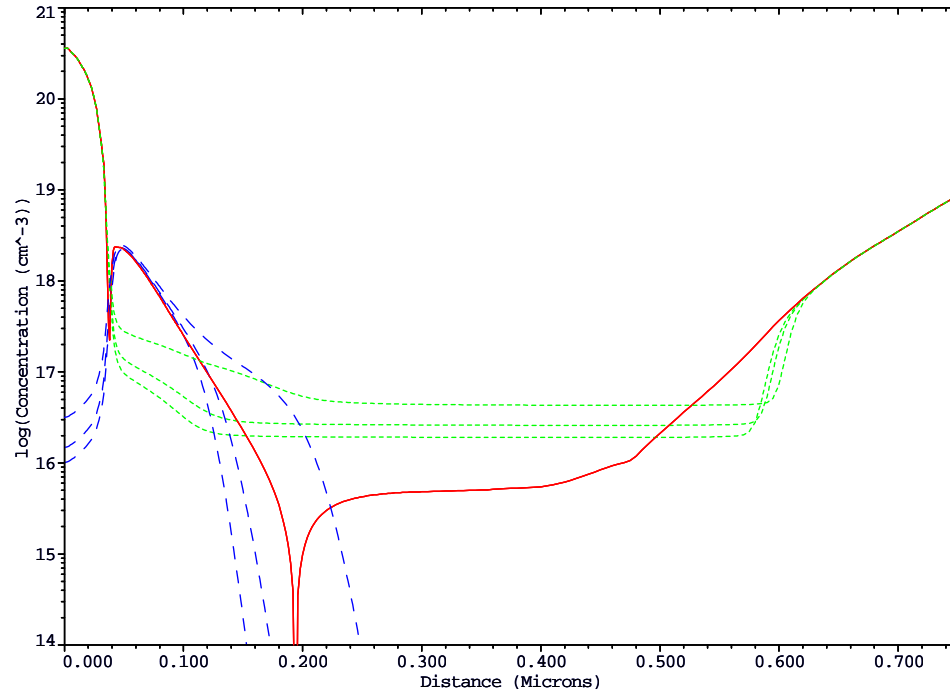
$$V_{\text{epi}} = \mathcal{V}_{B_2C_2} - \mathcal{V}_{B_2C_1}$$

and

$$I = \frac{V_{\text{epi}}}{\text{SCR}_{Cv}} \frac{V_{\text{epi}} + I_{hc} \text{SCR}_{Cv}}{V_{\text{epi}} + I_{hc} R_{Cv}}$$



$V_{ce} = 5V$; $V_{be} = 0.87, 0.88, 0.90V$; $I_c = 0.32, 0.44, 0.74 \text{ mA}$



In case of injection ($\frac{x_i}{W_{epi}} > 0$)

$$V_{epi} \simeq V_{dC} - V_{B_2C_1}$$

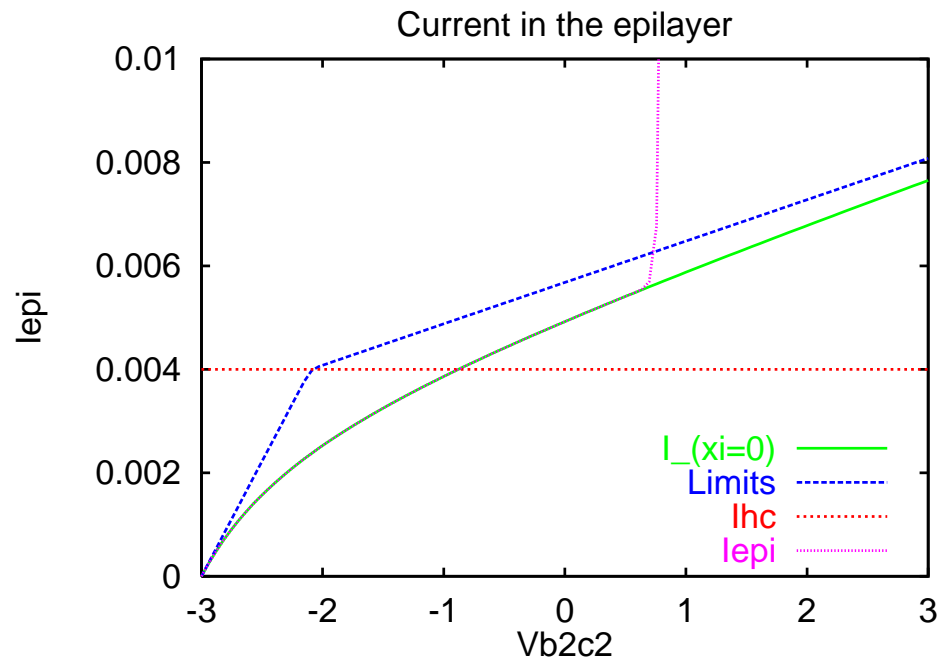
Injection thickness is given by (Kull model)

$$\frac{x_i}{W_{epi}} = \frac{f(V_{B_2C_2}) - f(V_{B_2C_1})}{I_{C_1C_2} R_{Cv}}$$

$$I_{C_1C_2} = \frac{V_{epi}}{SCR_{Cv} (1 - \frac{x_i}{W_{epi}})^2} \frac{V_{epi} + I_{hc} SCR_{Cv} (1 - \frac{x_i}{W_{epi}})^2}{V_{epi} + I_{hc} R_{Cv} (1 - \frac{x_i}{W_{epi}})}$$

Voltages $\mathcal{V}_{B_2C_2}$ and $\mathcal{V}_{B_2C_1}$ are given.

Combine the equations to find a third order equation for $I_{C_1C_2}$.



From $\mathcal{V}_{B_2C_2}$ calculate

- Reverse current I_r
- Reverse base charge Q_{BC}
- Epilayer charge Q_{epi}

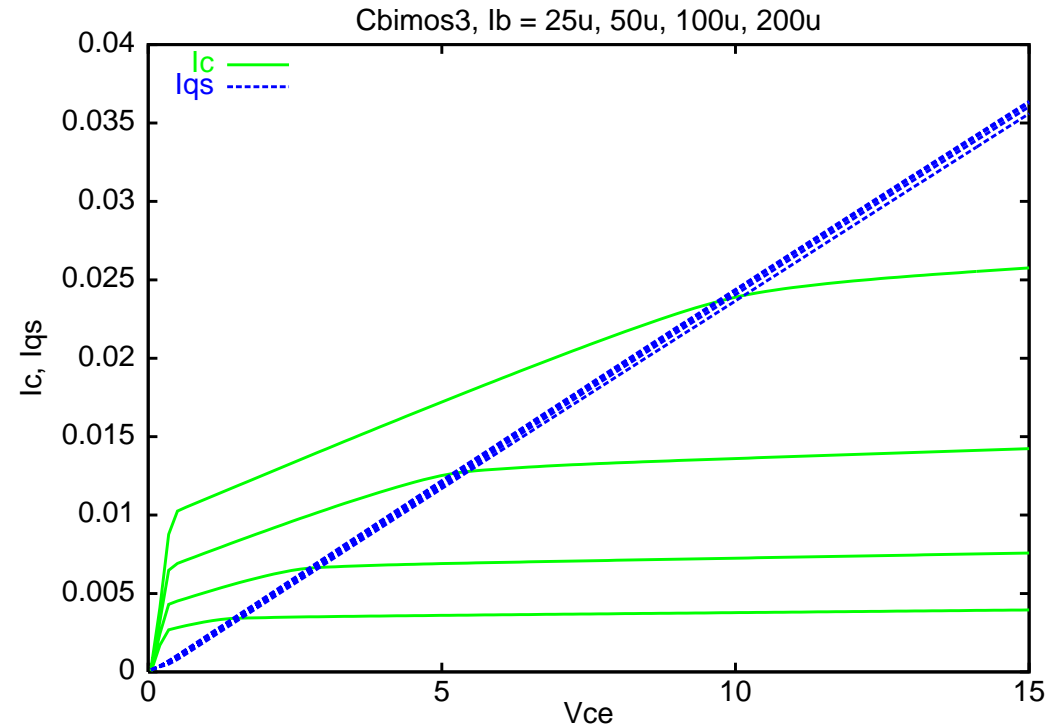
(from charge control relation)

Uses also $\mathcal{V}_{B_2C_1}$ and $I_{C_1C_2}$

Injection starts when $V_{B_2C_2} \simeq V_{dC}$:

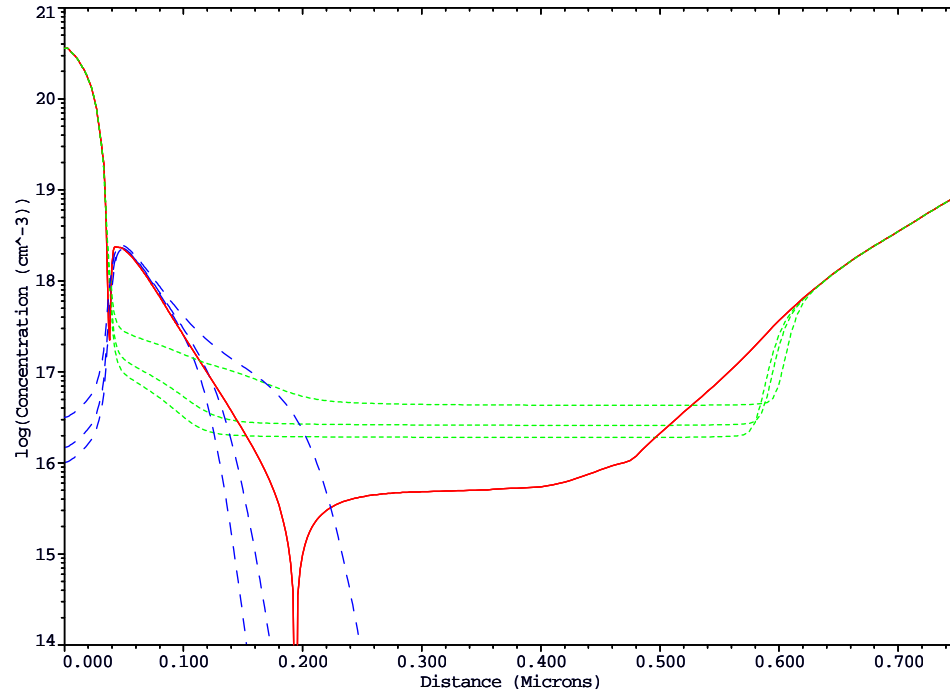
$$V_{qs} \equiv V_{dC} - V_{B_2C_1}$$

$$I_{qs} \equiv \frac{V_{qs}}{SCR_{Cv}} \frac{V_{qs} + I_{hc} SCR_{Cv}}{V_{qs} + I_{hc} R_{Cv}}$$



Example without velocity saturation

$V_{ce} = 5V$; $V_{be} = 0.87, 0.88, 0.90V$; $I_c = 0.32, 0.44, 0.74 \text{ mA}$



In case of injection ($\frac{x_i}{W_{epi}} > 0$)

$$V_{epi} \simeq V_{dc} - V_{B_2C_1}$$

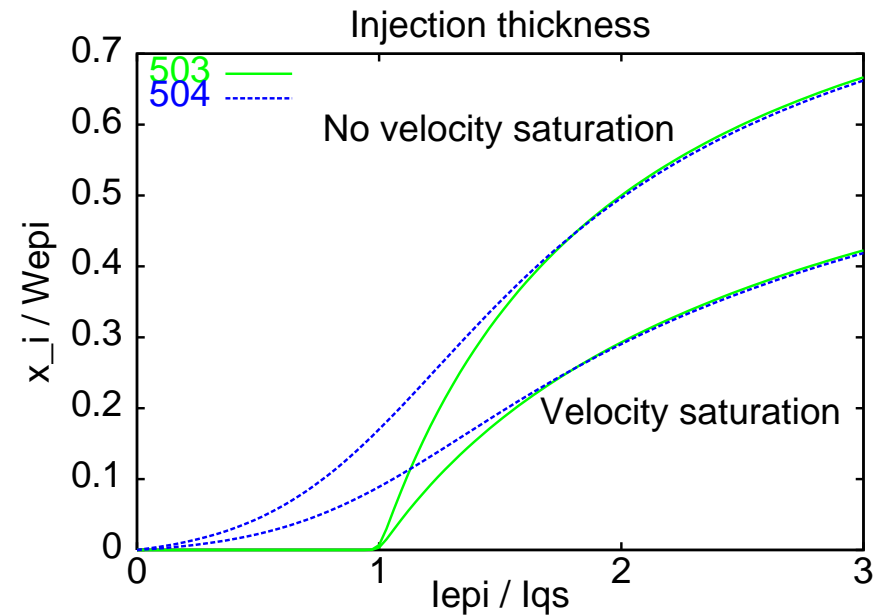
Injection thickness is given by (Kull model)

$$\frac{x_i}{W_{epi}} = \frac{f(V_{B_2C_2}) - f(V_{B_2C_1})}{I_{C_1C_2} R_{Cv}}$$

$$I_{C_1C_2} = \frac{V_{epi}}{SCR_{Cv} \left(1 - \frac{x_i}{W_{epi}}\right)^2} \frac{V_{epi} + I_{hc} SCR_{Cv} \left(1 - \frac{x_i}{W_{epi}}\right)^2}{V_{epi} + I_{hc} R_{Cv} \left(1 - \frac{x_i}{W_{epi}}\right)}$$

calculate $\frac{x_i}{W_{\text{epi}}}$ from $I_{C_1C_2}$ and $\mathcal{V}_{B_2C_1}$ (third order equation)

$$\frac{x_i}{W_{\text{epi}}} = \begin{cases} 1 - \frac{I_{qs}}{I_{C_1C_2}} & \text{no velocity saturation} \\ 1 - \sqrt{\frac{I_{qs}}{I_{C_1C_2}}} & \text{velocity saturation} \end{cases}$$



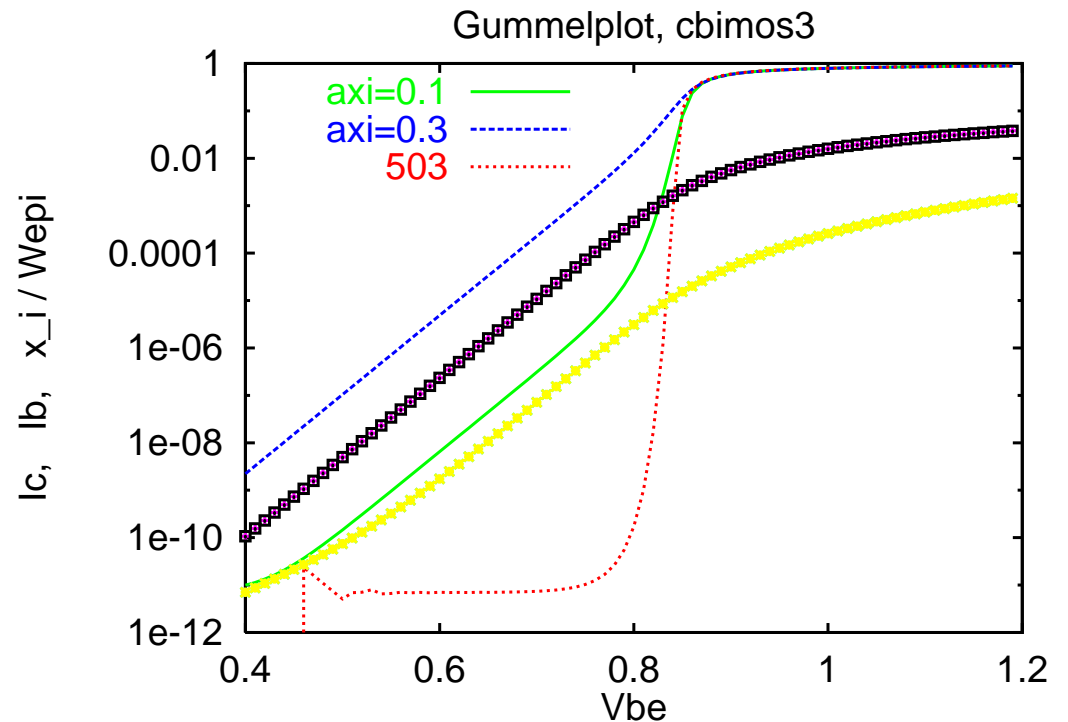
Calculate $\mathcal{V}_{B_2C_2}^*$ from the equation for $\frac{x_i}{W_{\text{epi}}}$ (Kull model approximated):

$$\frac{x_i}{W_{\text{epi}}} = \frac{f(\mathcal{V}_{B_2C_2}^*) - f(\mathcal{V}_{B_2C_1})}{I_{C_1C_2} R_{Cv}}$$

From $\mathcal{V}_{B_2C_2}^*$ calculate

- Reverse current I_r
- Reverse base charge Q_{BC}
- Epilayer charge Q_{epi}

This describes also charge in hard saturation ($I_{C_1C_2} \simeq 0$)



Question: How do we find $I_{C_1C_2}$?

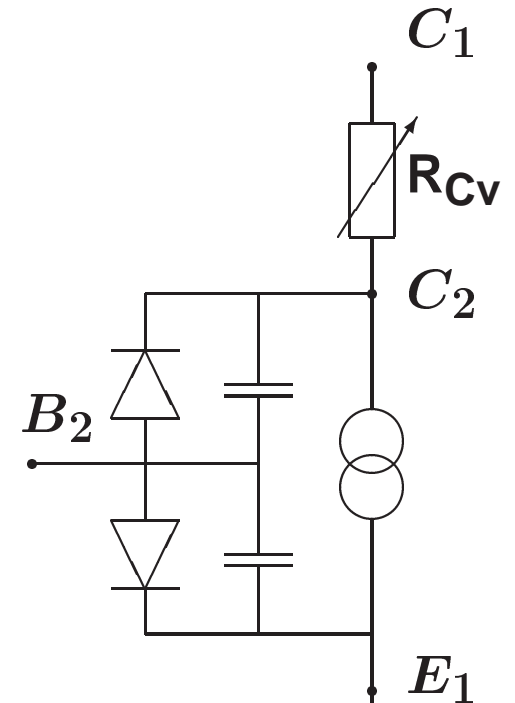
Use the epilayer resistance as a *current sensor*.

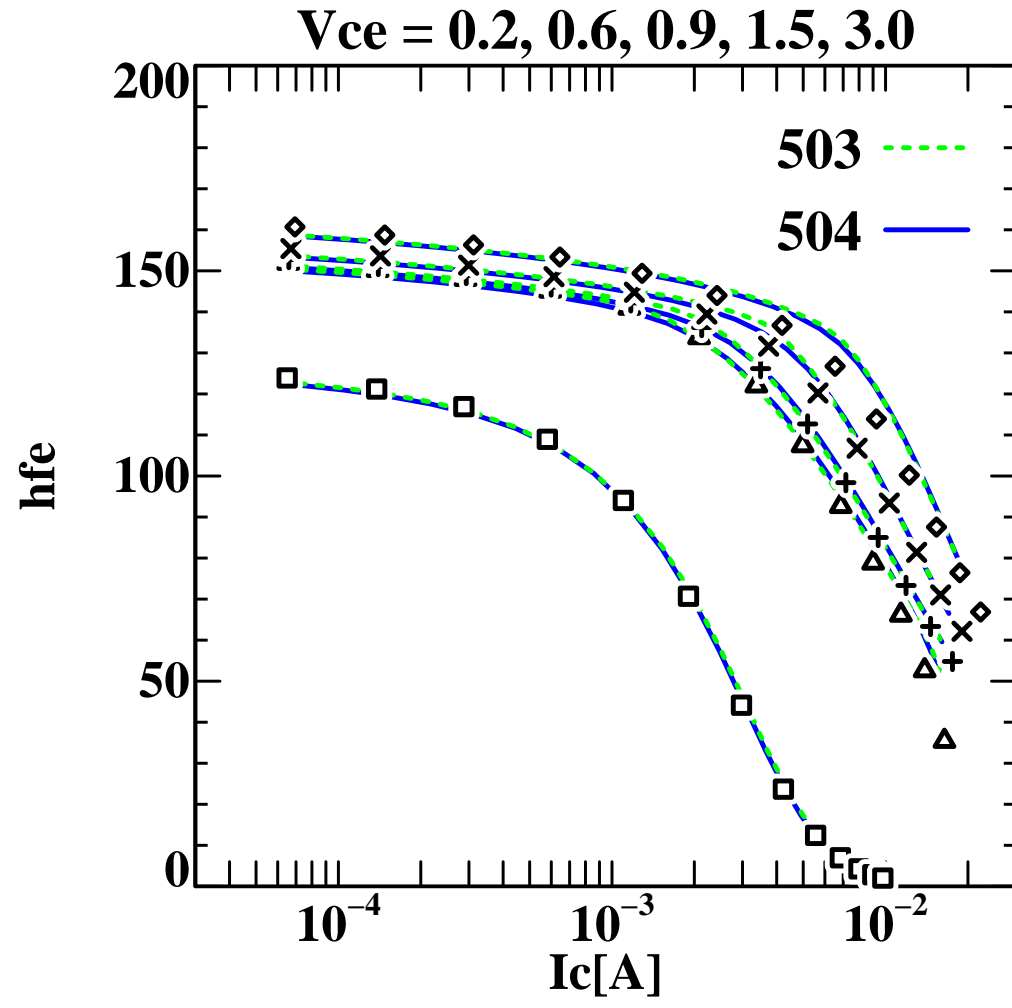
Node voltage $\mathcal{V}_{B_2C_2}$ is *only* used to define the current:

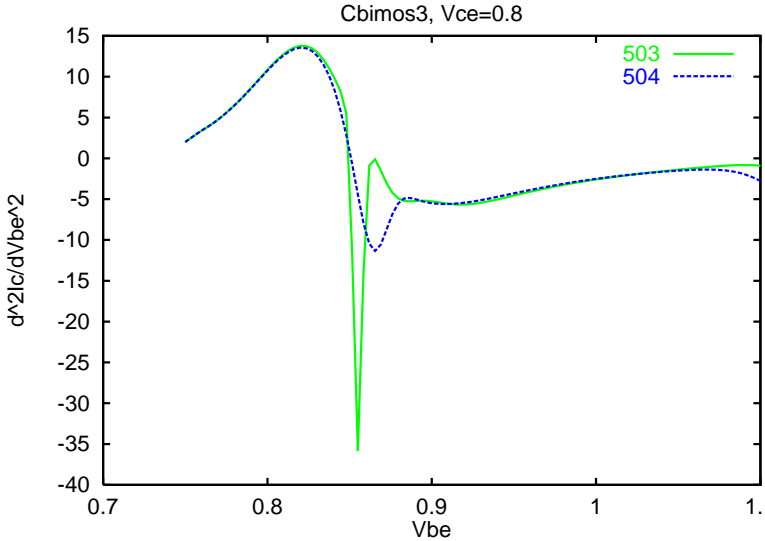
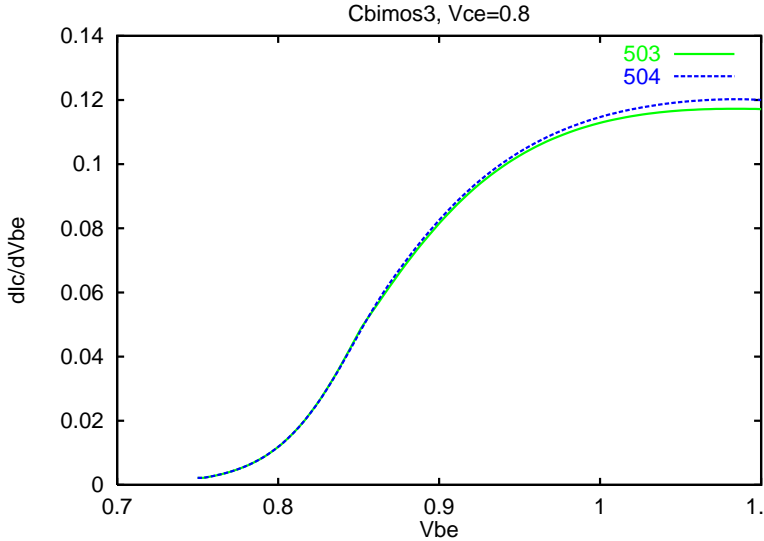
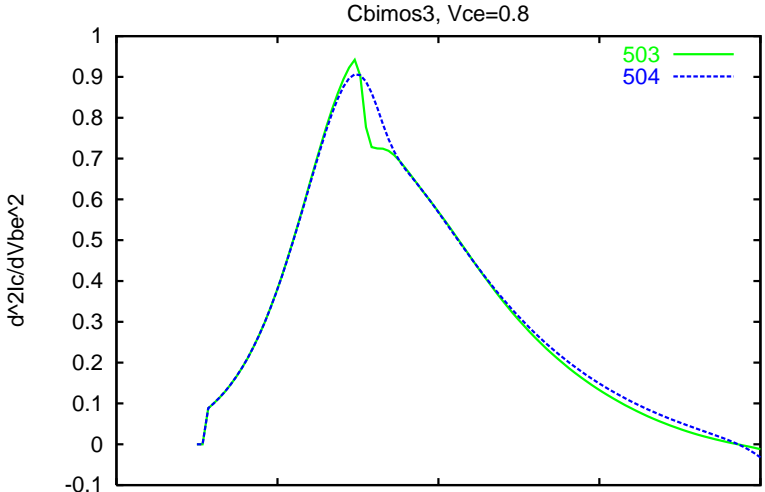
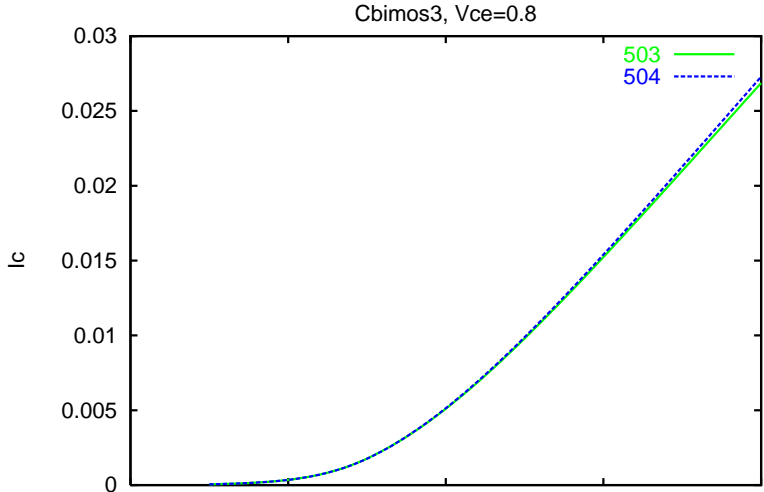
$$I_{C_1C_2} = \frac{f(\mathcal{V}_{B_2C_2}) - f(\mathcal{V}_{B_2C_1}) + \mathcal{V}_{C_1C_2}}{R_{Cv}}$$

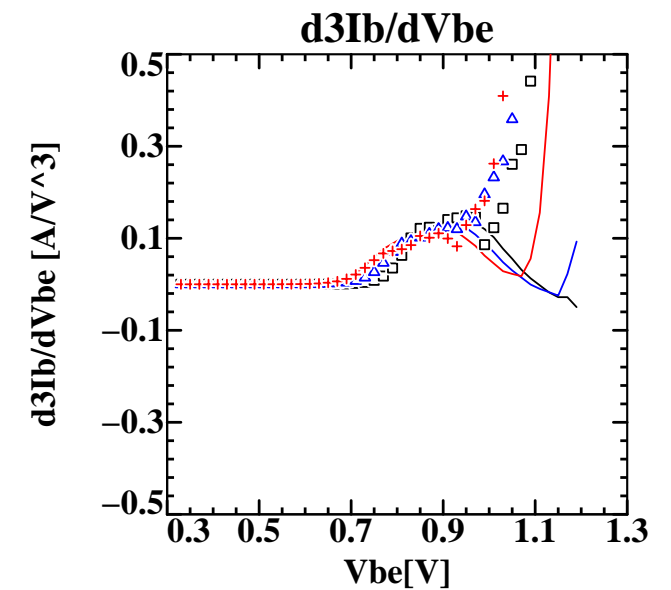
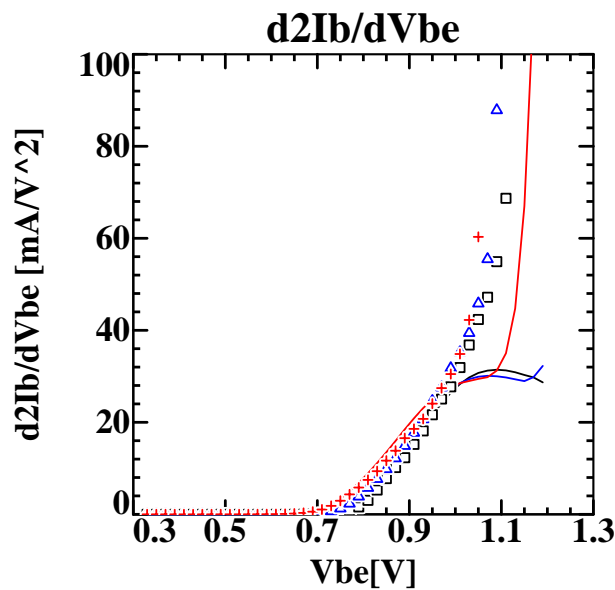
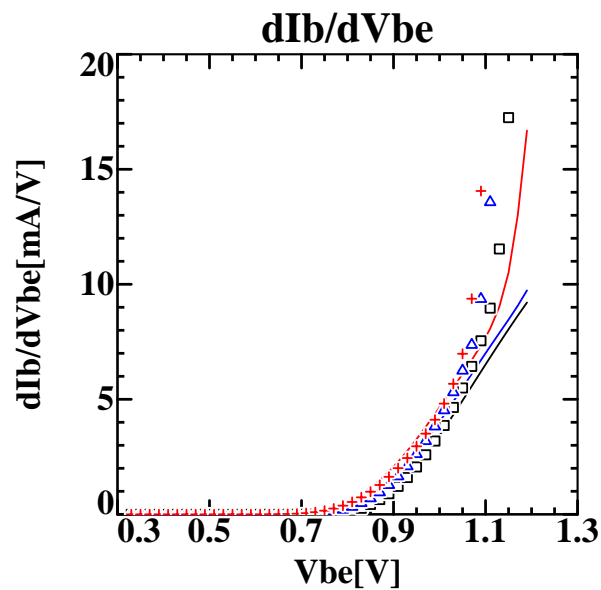
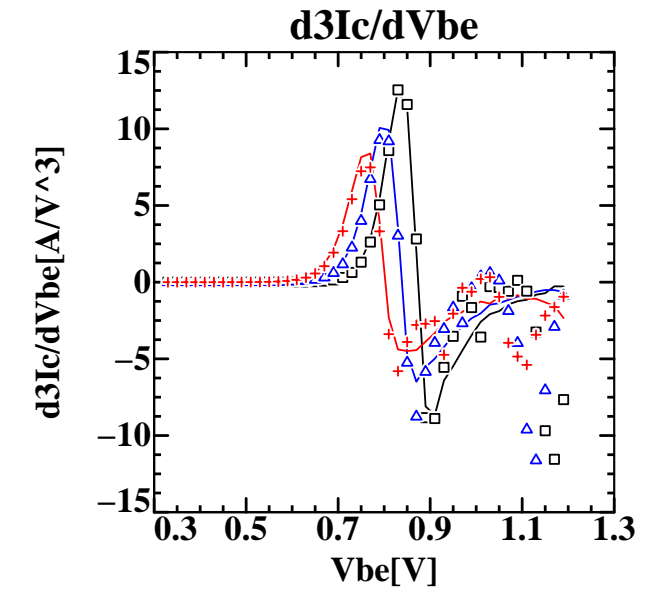
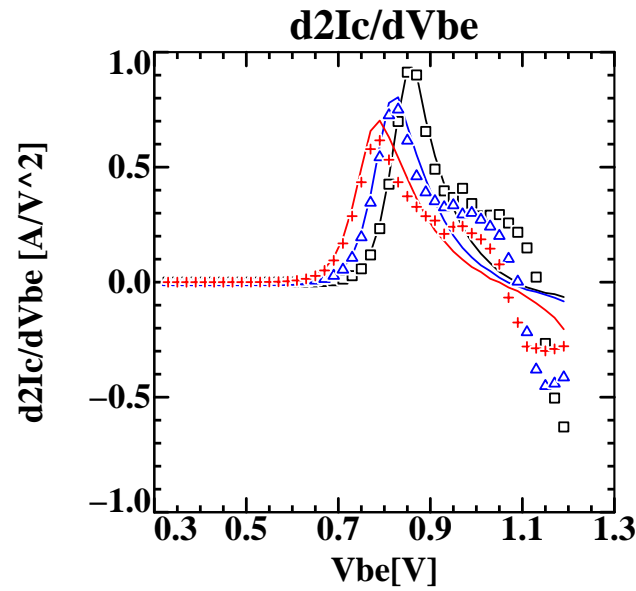
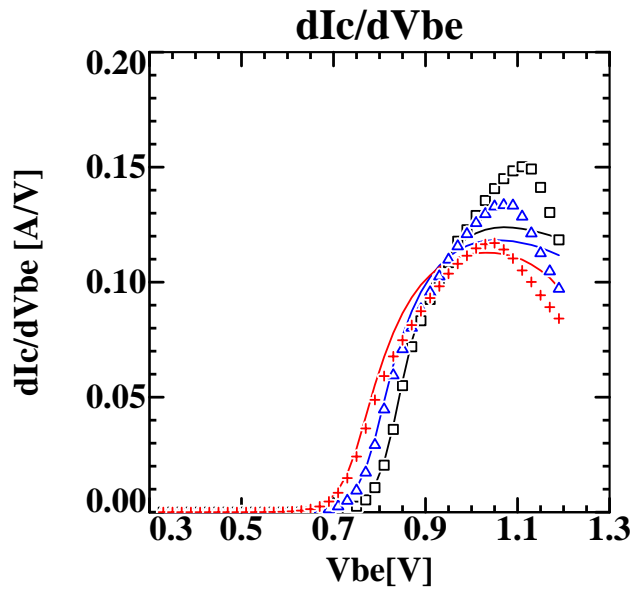
(Kull model; also used in reverse)

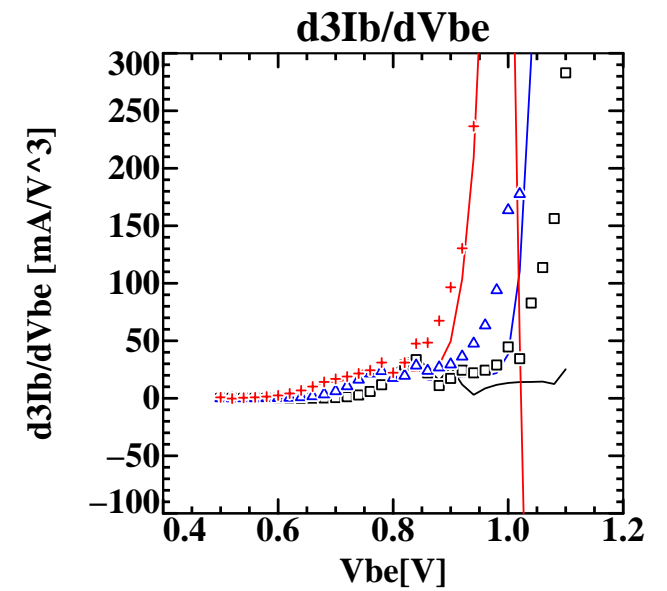
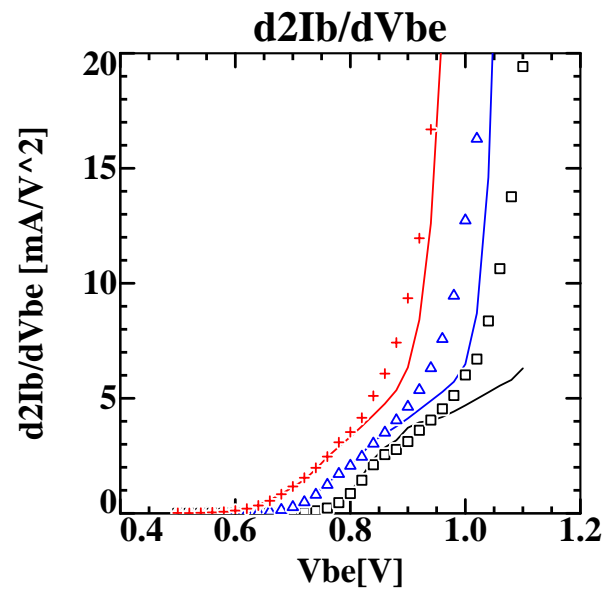
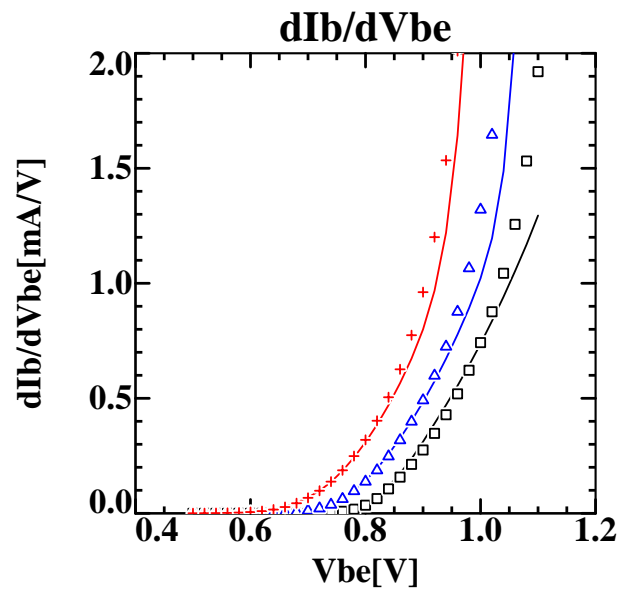
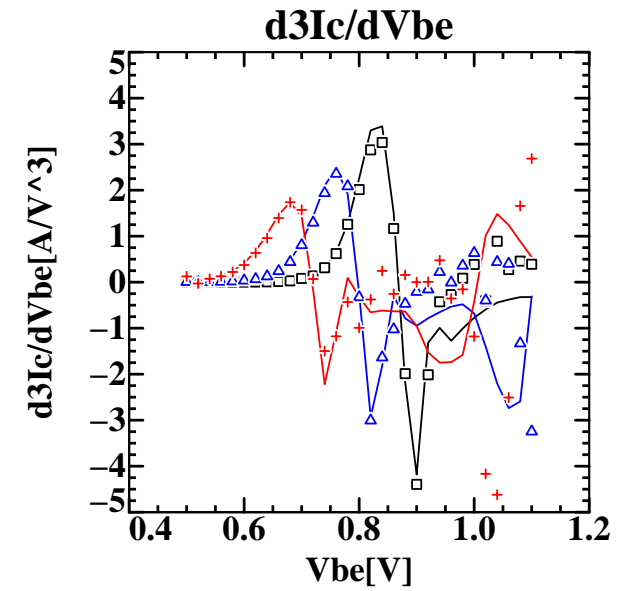
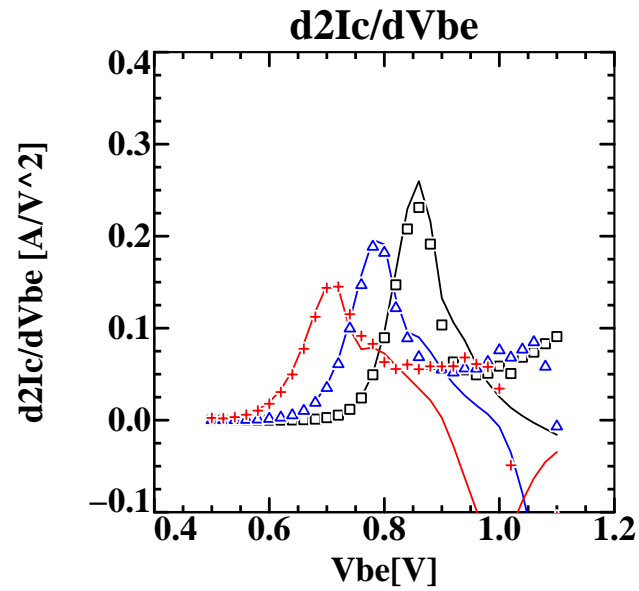
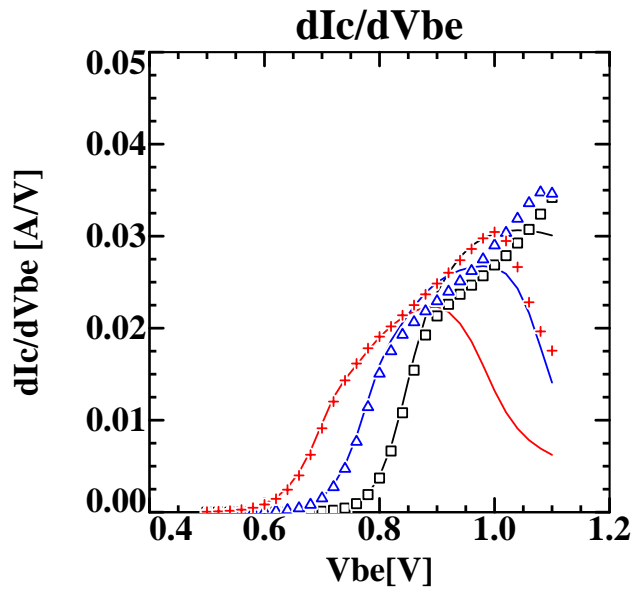
$\implies \mathcal{V}_{B_2C_2}$ is always reasonably physical.

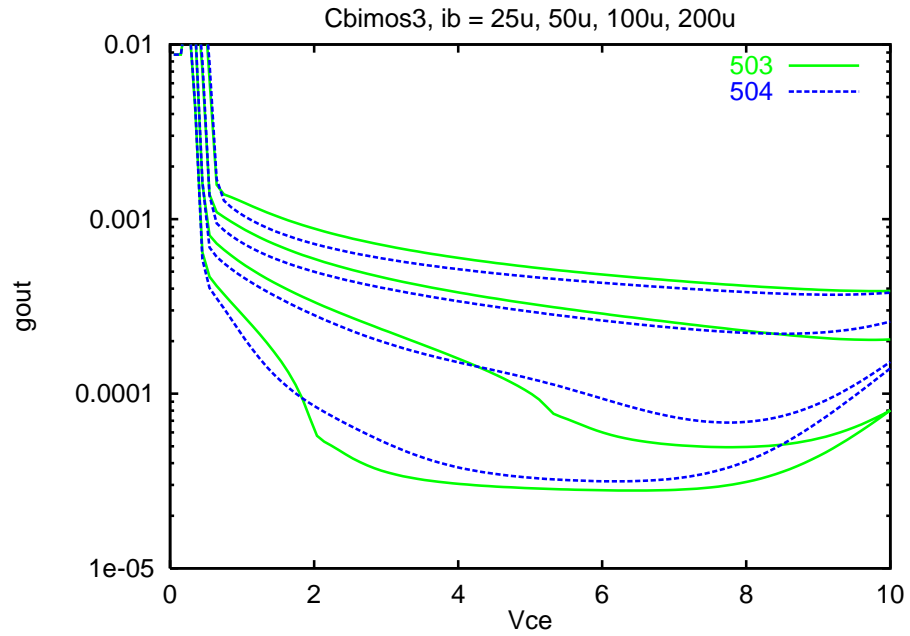
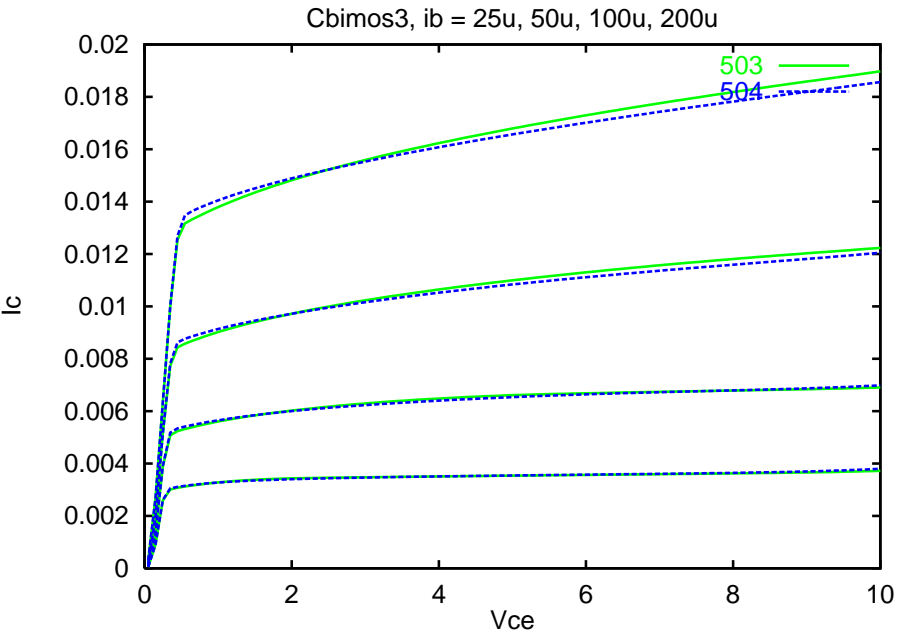


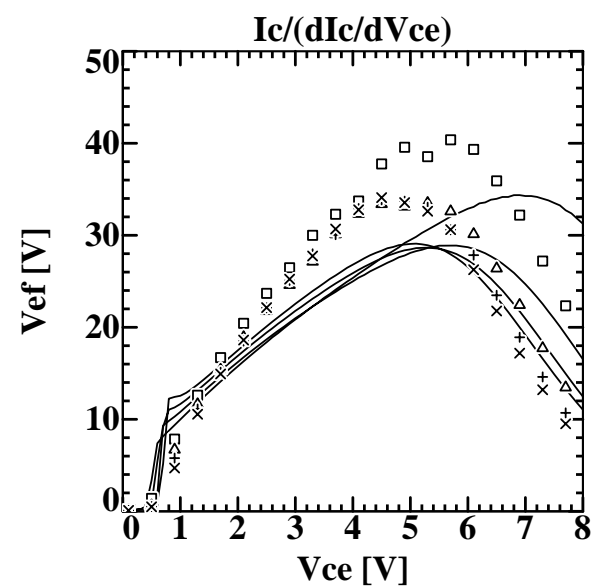
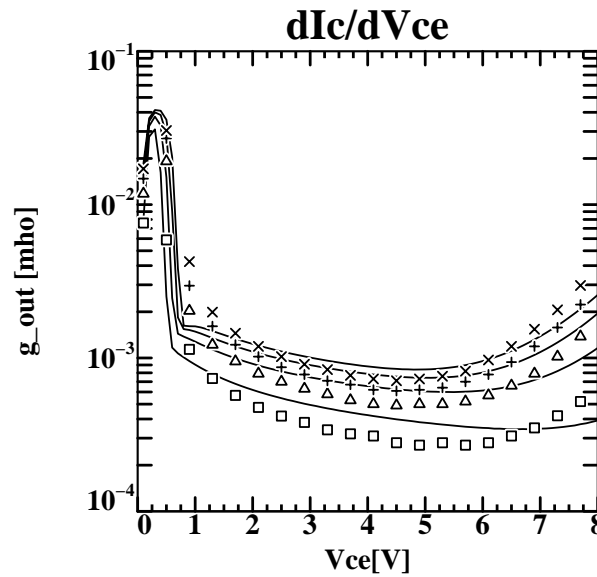
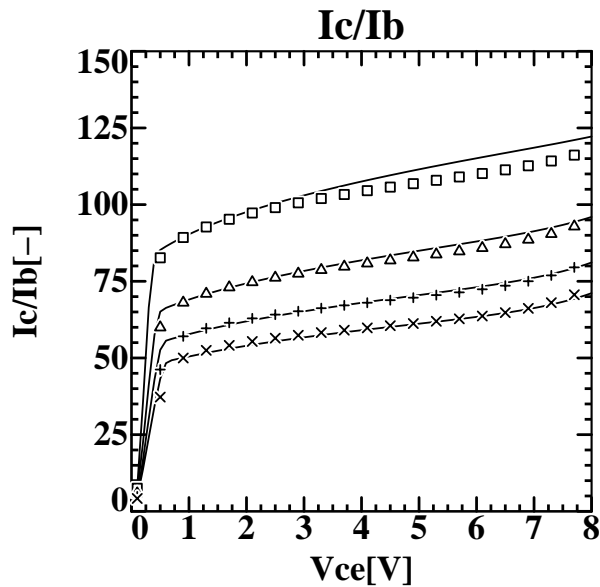
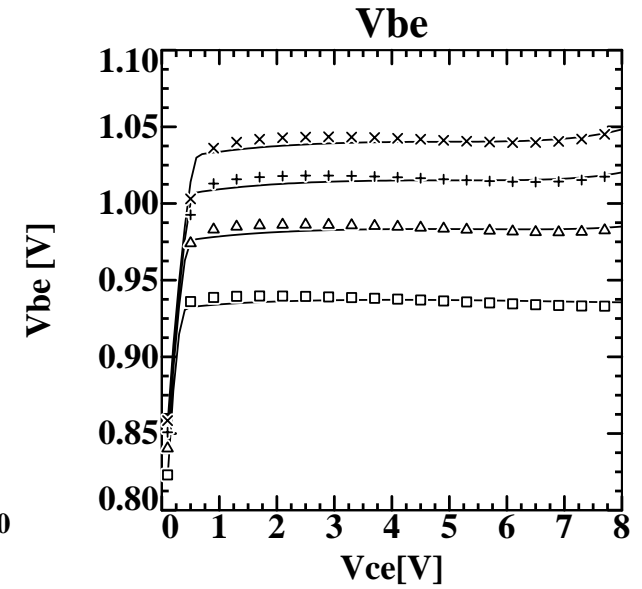
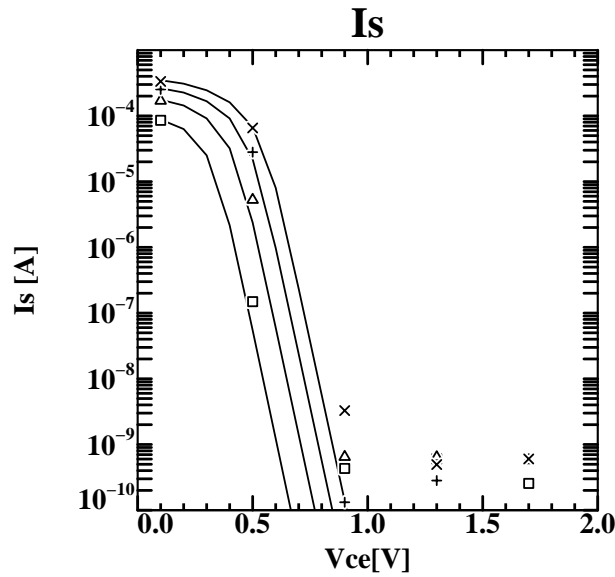
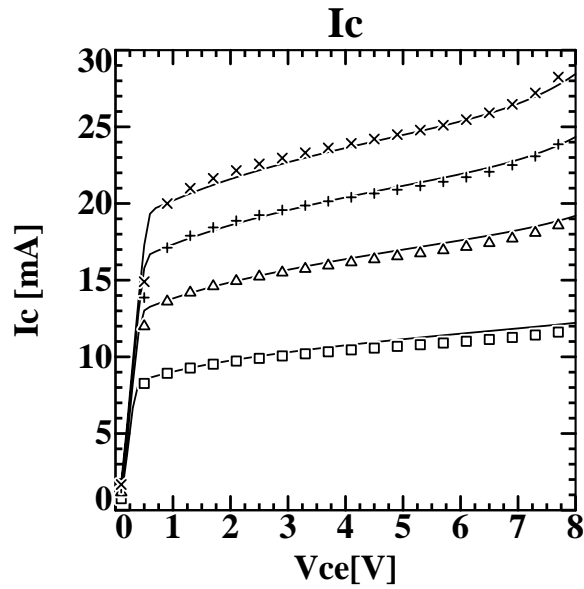


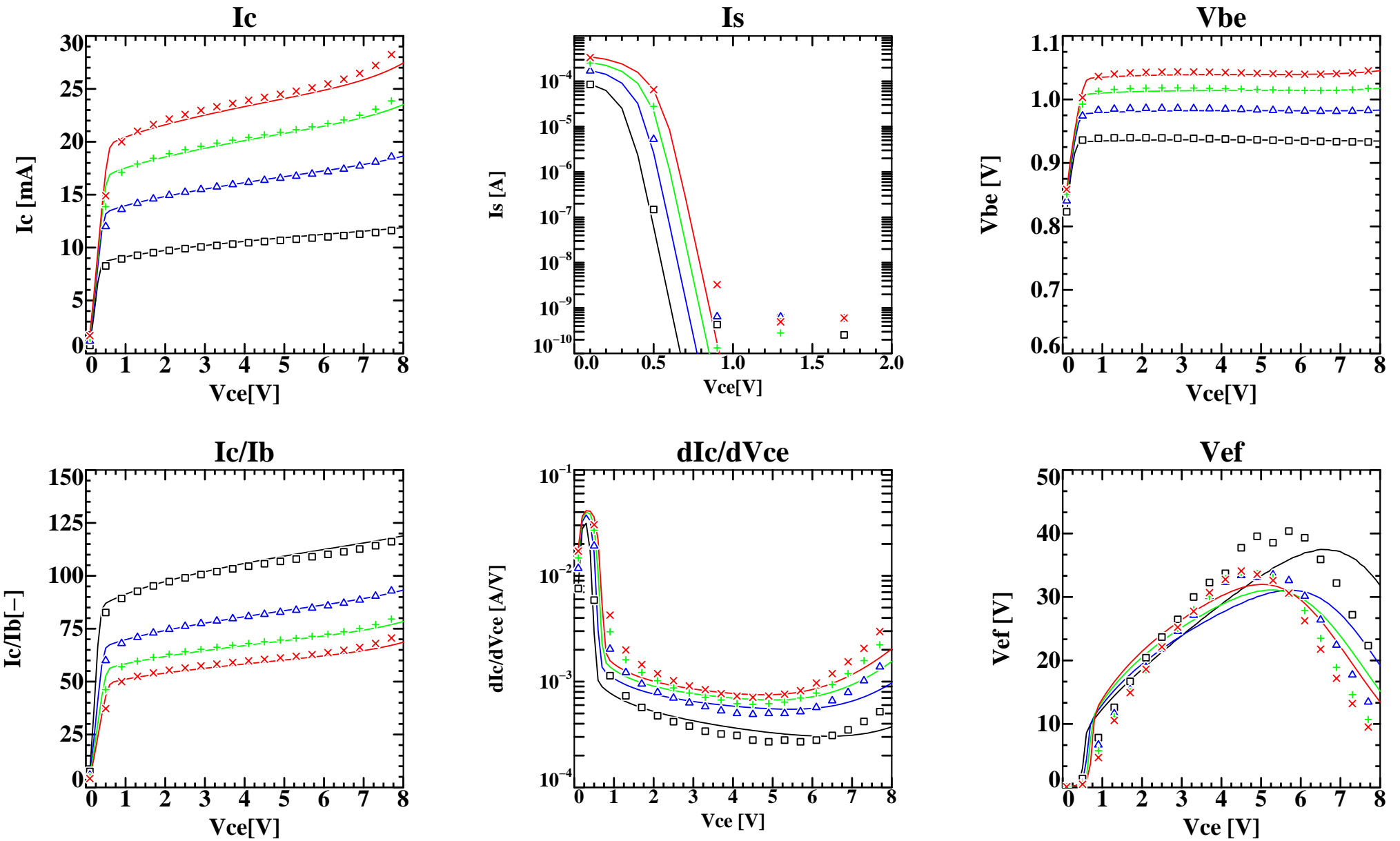




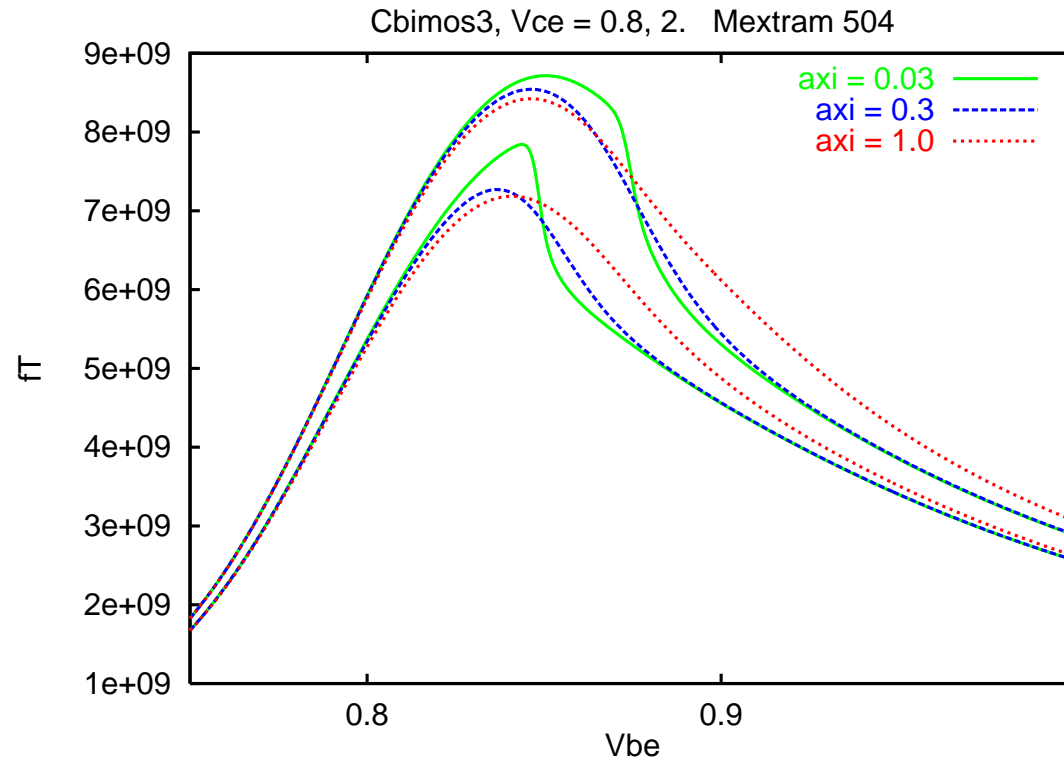






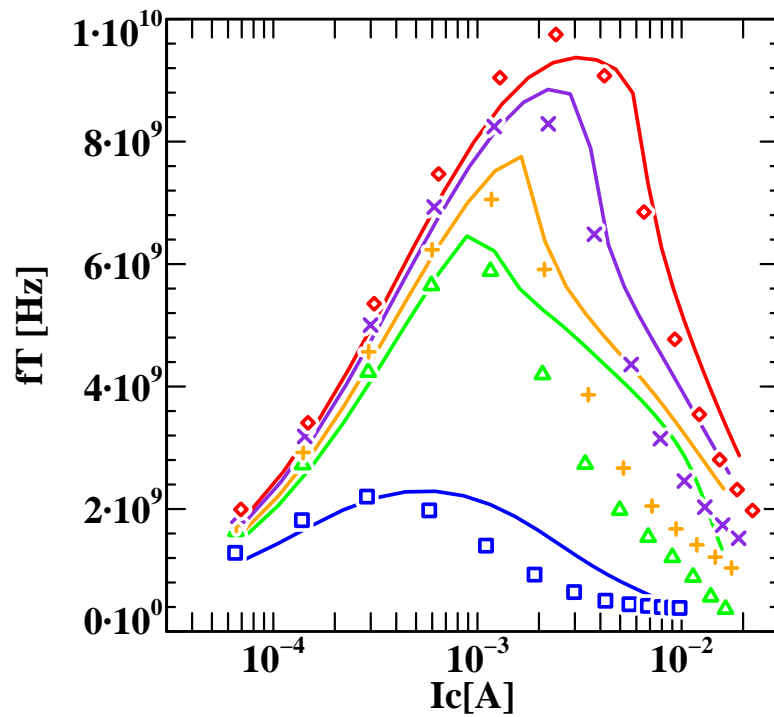


Basically we only need one new parameter: a_{x_i}

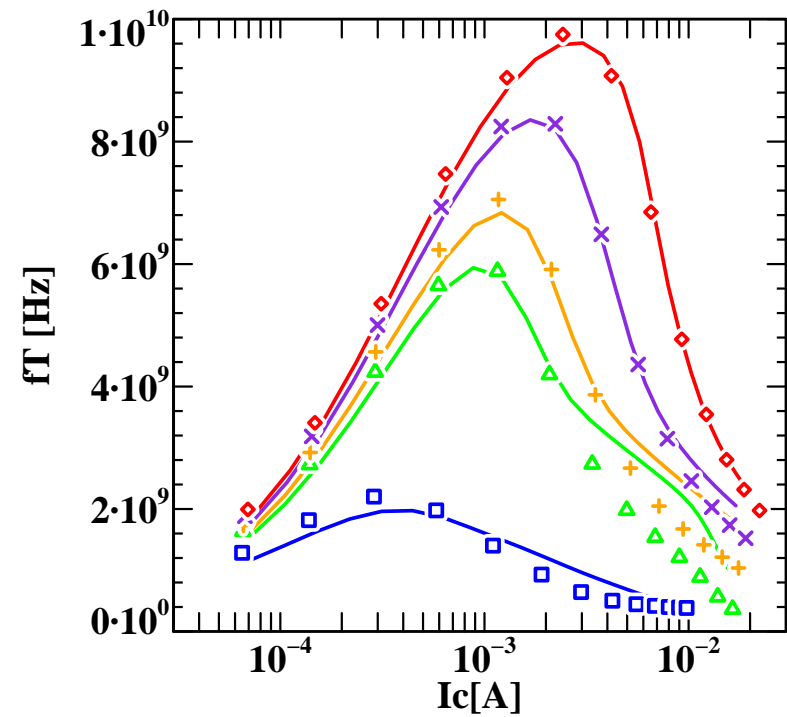


We also add the transit time parameters τ_B , τ_{epi} , and τ_R .
(In Mextram 503 these are calculated from DC parameters)

Mextram 503



Mextram 504



- **Mextram 504 has much smoother characteristics**
 - **Better description of measurements, improved parameter extraction features must still be demonstrated.**
 - **SiGe modelling:**
 - **Mextram 503 results are reasonable.**
 - **Physical description and geometric scaling better with Mextram 504**
 - **Not enough experience (yet) with SiGe (e.g. not tested in production)**
 - **Mextram 504 will contain self-heating network**
 - **Mextram 504 model equations are ready except for details**
- Further testing mainly within Philips**